

# Moderated Resource Elasticity for Stream Processing Applications

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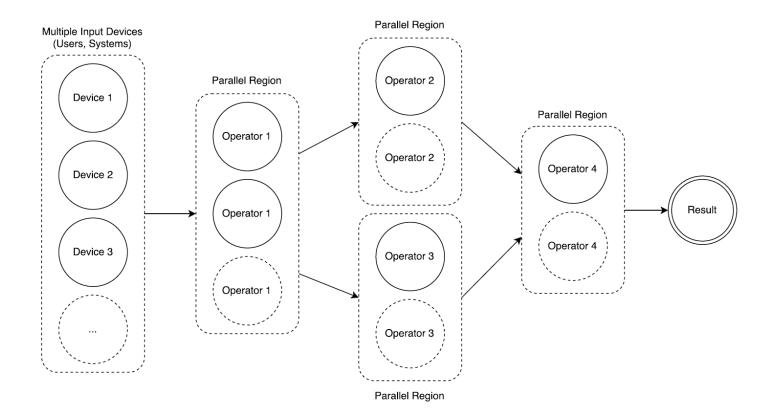




# Introduction







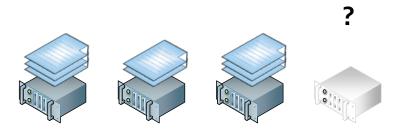
#### Roland Doppler: Scaling Algorithms for Distributed Stream Processing Applications





#### "Do I need to activate more workers to process X, Y and Z?" "Are workers running unnecessarily that can be shut down?"

- Insufficient workers: Performance drops, SLA violations, increased penalties
- Excessive workers: Unnecessary resources running, increased cost



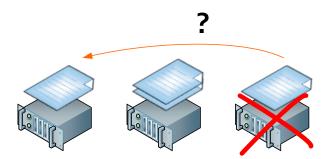






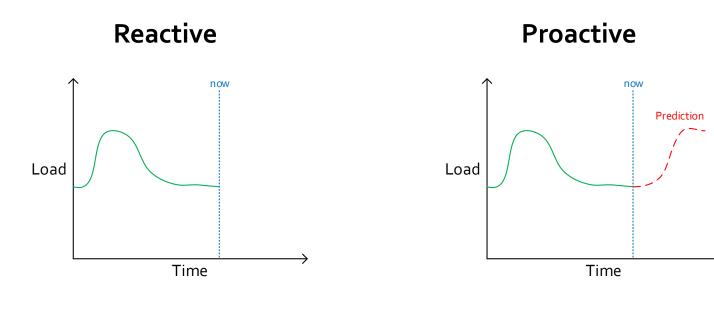
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### Simpler design No prediction overhead

### Potential for in-time decisions Necessary reaction can be estimated







# Approach



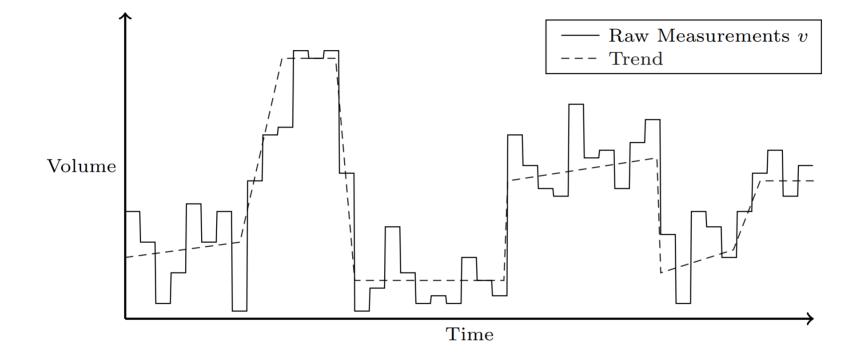


# **Overall Goal**: Prediction of input volume

Challenge: Noise in data

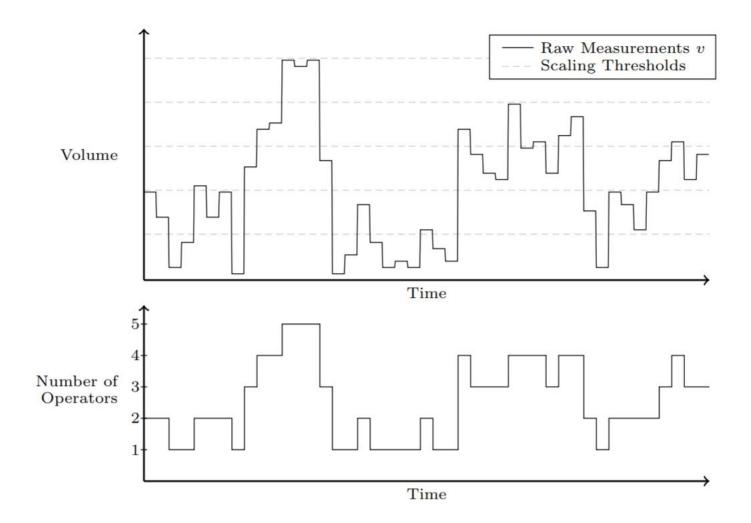






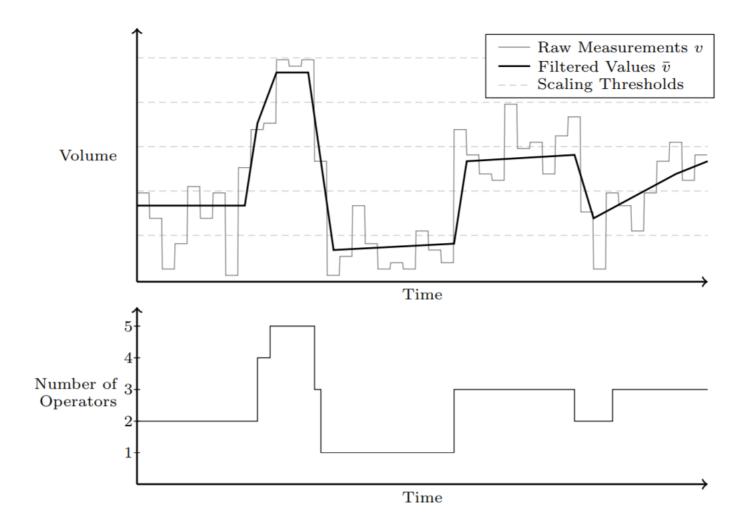
















## Solution within current paper:

- Total Variation Denoising [1]
- Extended Kalman Filter [2]

[1] Rudin, Leonid I., Stanley Osher, and Emad Fatemi. "Nonlinear total variation based noise removal algorithms." Physica D: Nonlinear Phenomena 60.1-4 (1992): 259-268.

[2] Kalman, Rudolph E., and Richard S. Bucy. "New results in linear filtering and prediction theory." Journal of basic engineering 83.1 (1961): 95-108.





• Preserve mean of raw signal

$$\int_{\Omega} u = \int_{\Omega} u_0$$

Define deviation of noise

$$\int_{\Omega} (u - u_0)^2 = \sigma^2$$





• Preserve mean of raw signal

$$\int_{\Omega} u = \int_{\Omega} u_0$$

 $u_0$ : raw signal

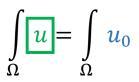
Define deviation of noise

$$\int_{\Omega} (u - u_0)^2 = \sigma^2$$





• Preserve mean of raw signal



*u*: filtered signal

Define deviation of noise

$$\int_{\Omega} \underbrace{(u} - u_0)^2 = \sigma^2$$





• Preserve mean of raw signal

$$\int_{\Omega} u = \int_{\Omega} u_0$$

Define deviation of noise

$$\int_{\Omega} (u - u_0)^2 = \sigma^2$$



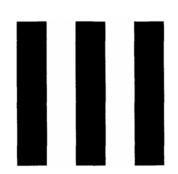


# Minimization of variation:

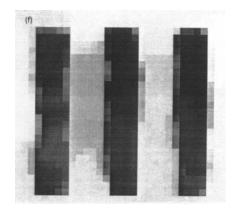
minimize 
$$\int_{\Omega} \left( u_{xx} + u_{yy} \right)^2$$





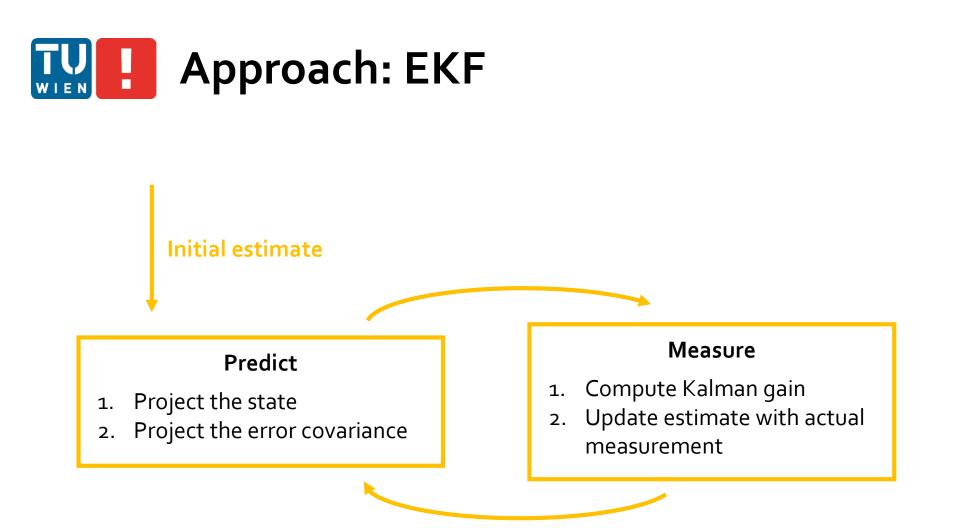






SNR = 1.0









# **Evaluation**



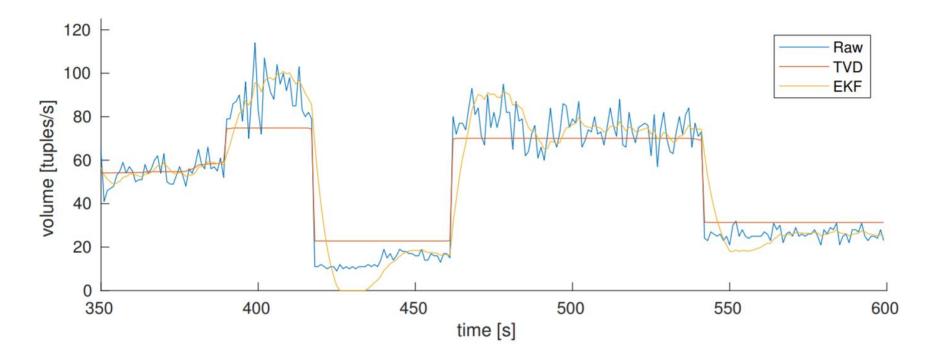


Simulation of a stream processing engine Values for data volume presented in [3]: Data rate: 200–500 tuples per second Operator capacity: 50 tuples per second SNR: 0.5, 0.8, 1.0, <u>5.0</u>, 10.00 Simulation duration: 1500 seconds Measurement interval: 1 second

[3] Xu, Jielong, et al. "T-storm: Traffic-aware online scheduling in storm.", 34th International Conference on Distributed Computing Systems (ICDCS). IEEE, 2014.











# Baseline: Linear Smoothing

- Comparison to both TVD and EKF
- Measured Variables:
  - **s**<sup>+</sup> and **s**<sup>-</sup>: scaling operations
  - p<sup>+</sup> and p<sup>-</sup>: provisioning state (over- and underprovisioning)





	Scaling Operations		Provisioning Time [s]	
Filter	S <sup>+</sup>	S	p⁺	p⁻
Linear Smoothing (Baseline)	130	130	186	<u>220</u>
Total Variation Denoising	<u>8</u> -122	<u>7</u> -123	<u>154</u> -32	224 +4
Extended Kalman Filter	79 -51	78 -52	319 +133	224 +4

#### SNR = 1.0 duration = 1500 s



# **Conclusions & Future Work**





### Contributions

- Application of TVD and EKF within stream processing
- Simulation-based evaluation
- With current setup: TVD is promising

### **Future Work**

- Work on EKF models to improve EKF performance
- Employ a feedback loop
- Usage of gained smoothed data for predictions
- Testbed evaluation using VISP [4]

[4] Hochreiner, Christoph, et al. "VISP: An Ecosystem for Elastic Data Stream Processing for the Internet of Things.", 20th International Enterprise Distributed Object Computing Conference (EDOC). IEEE, 2016.







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